## **Functional** Programming From **First** Principles

#### Closing over the loop variable considered harmful

♣ Eric Lippert ■ 12 Nov 2009 6:50 AM ■ 134



(This is part one of a two-part series on the loop-variable-closure problem. Part two is here.)

**UPDATE**: We **are** taking the breaking change. In C# 5, the loop variable of a foreach will be logically inside the loop, and therefore **closures will close over a fresh copy of the variable each time**. The "for" loop will not be changed. We return you now to our original article.

I don't know why I haven't blogged about this one before; this is the single most common incorrect bug report we get. That is, someone thinks they have found a bug in the compiler, but in fact the compiler is correct and their code is wrong. That's a terrible situation for everyone; we very much wish to design a language which does not have "gotcha" features like this.

But I'm getting ahead of myself. What's the output of this fragment?

```
var values = new List<int>() { 100, 110, 120 };
var funcs = new List<Func<int>>();
foreach(var v in values)
  funcs.Add( ()=>v );
foreach(var f in funcs)
  Console.WriteLine(f());
```

Most people expect it to be 100 / 110 / 120. It is in fact 120 / 120 / 120. Why?

Because ()=>v means "return the current value of variable v", not "return the value v was back when the delegate was created". Closures close over variables, not over values. And when the methods run, clearly the last value that was assigned to v was 120, so it still has that value.

This is very confusing. The correct way to write the code is:

#### Where is the loop variable declared?

```
foreach(var i in new[]{0,1,2,3,4})
  Console.WriteLine(i);
var i = default(int);
                                          Outside?
foreach(var i in new[]{0,1,2,3,4})
   i = i;
   Console.WriteLine(i_);
foreach(var i in new[]{0,1,2,3,4})
                                               Inside?
   var i = i;
   Console.WriteLine(_i);
```

#### Where is the loop variable declared?

```
foreach(var i in new[]{0,1,2,3,4})
1
2
3
4
  {
     Console.WriteLine(i);
   var i_ = default(int);
   foreach(var i in new[]{0,1,2,3,4})
                                                       Who cares?
      i = i;
      Console.WriteLine(i_);
  foreach(var i in new[]{0,1,2,3,4})
1
      var i = i;
3
      Console.WriteLine(_i);
```

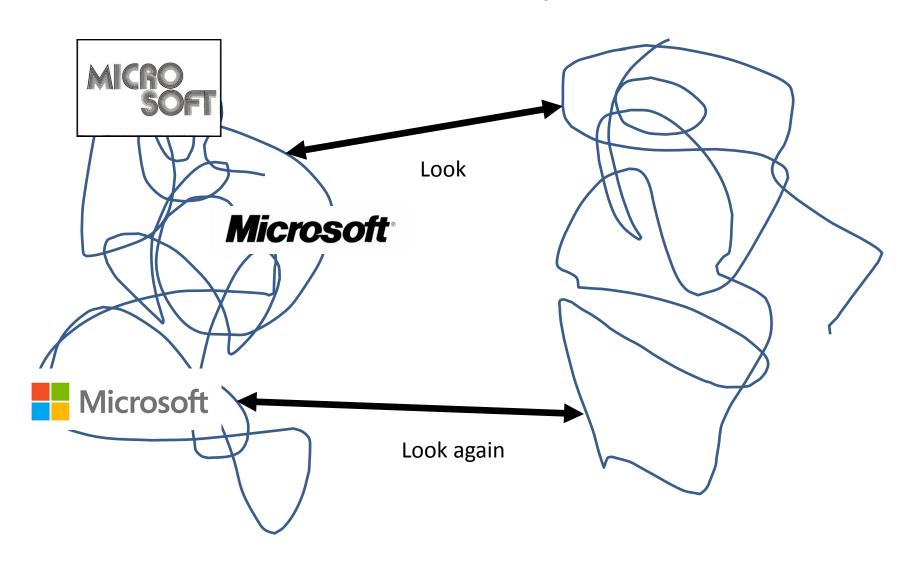
```
var fis = new List<Action>();
foreach(var i in new[]{0,1,2,3,4})
   fis.Add(delegate{ Console.WriteLine(i);});
foreach(var fi in fis) fi();
                                    Let's capture it
                                    and see what happens
var fis = new List<Action>();
var i_ = default(int);
foreach(var i in new[]{0,1,2,3,4})
                                             Outside?
    i = i;
    fjs.Add(delegate{ Console.WriteLine(i_);});
foreach(var fi in fis) fi();
var fis = new List<Action>();
foreach(var i in new[]{0,1,2,3,4})
                                             Inside?
    var i = i;
    fis.Add(delegate{ Console.WriteLine(_i);});
foreach(var fi in fis) fi();
```

```
C#4
                                                    C#5
    var fis = new List<Action>();
    foreach(var i in new[]{0,1,2,3,4})
                                                     2 3
       fis.Add(delegate{ Console.WriteLine(i);});
    foreach(var fi in fis) fi();
    var fis = new List<Action>();
    var i_ = default(int);
    foreach(var i in new[]{0,1,2,3,4})
        i = i;
        fjs.Add(delegate{ Console.WriteLine(i_);});
    foreach(var fi in fis) fi();
    var fis = new List<Action>();
 01234
    foreach(var i in new[]{0,1,2,3,4})
    {
        var i = i;
        fis.Add(delegate{ Console.WriteLine( i);});
    foreach(var fi in fis) fi();
```

```
var fis = new List<Action>();
for(var i = 0; i < 5; i++)
   fis.Add(delegate{ Console.WriteLine(i);});
foreach(var fi in fis) fi();
var fis = new List<Action>();
var i = default(int);
for(i = 0; i < 5; i ++)
   fjs.Add(delegate{ Console.WriteLine(i_);});
foreach(var fi in fis) fi();
var fis = new List<Action>();
for(var i = 0; i < 5; i++)
  var i = i;
   fls.Add(delegate{ Console.WriteLine( i);});
foreach(var fi in fis) fi();
```

## Who Gets The Blame?

#### The Real World is Imperative



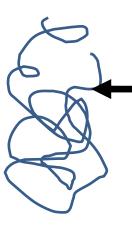
#### Still don't believe me?!



```
var fis = new List<Action>();
foreach(var i in new[]{0,1,2,3,4})
    fis.Add(delegate{ Console.WriteLine(i);});
                      fi();
foreach(var fi in fi
                                                innocent
                              guilty
var fis = new List<Action>();
foreach(var i in new[]{0,1,2,3,4})
    fis.Add(delegate{ Console.WriteLine(i);});
foreach(var fi in fis) fi();
                                                innocent
```

### Acknowledge the presence of side-effects

producer consumer

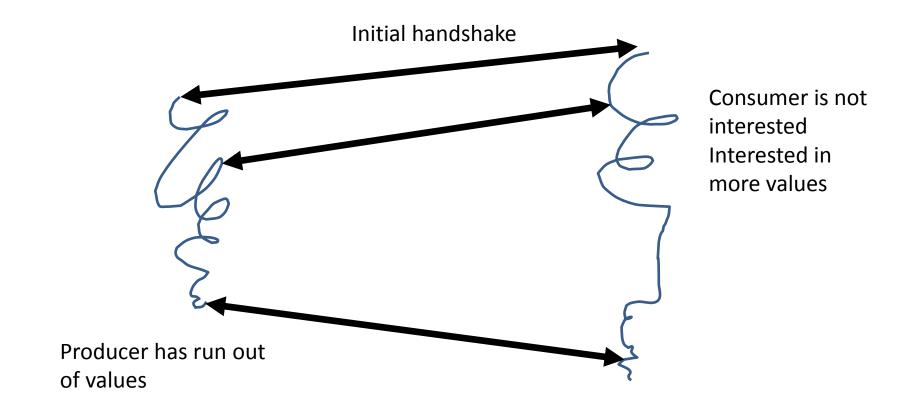


0, 1, 2, 3, 5, ...

- (0) read value mutable variable of type T
- (1) If you want to see next value call this Func<T> (i.e. ()  $\rightarrow$ T) to get it.
- (2) Here is an Action<T> (i.e.  $T \rightarrow$  ()), notify me when the next value is available.

How to communicate a stream of values between producer and consumer?

#### **Operational Details**



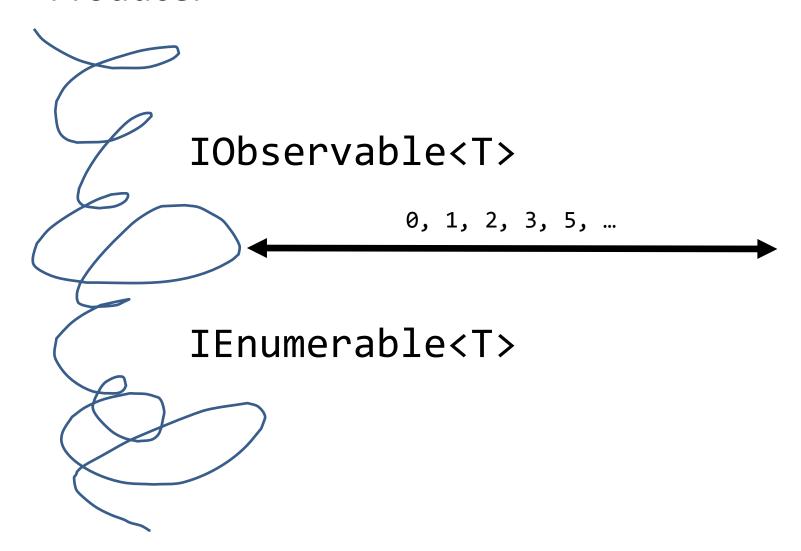
## Pull-based protocol (consumer asks for values)

```
interface IEnumerable<T>
                                         Initial handshake
   IEnumerator<T> GetEnumerator();
interface IEnumerable<T> : IDisposable
   bool MoveNext();
                            Call when want next value
   T Current { get; }
                            () \rightarrow T+()+Exception;
interface IDisposable
                      I won't bother you anymore,
   void Dispose();
                       you may forget about me.
```

## Push-based protocol (consumer gets notified of values)

```
interface IObservable<T>
                                                         Initial handshake
   IDisposable Subscribe(IObserver<T> observer);
interface IObserver<T>
                                  Notify when next value available
   void OnNext(T value);
                                  T+()+Exception \rightarrow ();
   void OnCompleted();
   void OnError(Exception error);
}
interface IDisposable
                         I won't bother you anymore,
   void Dispose();
                         you may forget about me.
```

#### Producer



#### What if precisely one value?

```
class Lazy<T>
                                    Pull
   T Value { get; }
                                   Push
class Task<T>
   Task<S> ContinueWith<S>
      (Func<Task<T>,S> continuation){ ... }
   T Result{ get; }
}
  (Note concrete classes, not interfaces (3))
```

### 五香粉

	One	Many
Pull	T/Lazy <t></t>	IEnumerable <t></t>
Push	Task <t></t>	IObservable <t></t>

#### The formulae are Five-spice powder based on the From Wikipedia, the free encyclopedia This article is about Chinese five-spice Chinese philosophy Five-spice powder is a mixture of five spice cookery.[1] of balancing the yin Contents [hide] and yang in food. 1 Formulae 2 Usage [Wikipedia] 3 References 4 See also Formulae [edit]

The formulae are based on the Chinese philosophy of balancing the yin and yang in food. There are many variants. The most common is *bajiao* (star anise), cloves, cinnamon, *huajiao* (Sichuan pepper) and ground fennel seeds. [2] Instead of true cinnamon, "Chinese cinnamon" (also known as *rougui*, the ground bark of the cassia tree, a close relative of true cinnamon which is often sold as cinnamon), may be used. The spices need not be used in equal quantities.[2]



Another variant is tunghing or "Chinese cinnamon" (powdered cassia buds), powdered star anise and anise seed, ginger root, and ground cloves.



In Chinese philosophy, the concept of yin-yang (simplified Chinese: 阴阳; traditional Chinese: 陰陽; pinyin: yīnyáng), which is often referred to in the West as "yin and yang", literally meaning "shadow and light", is used to describe how polar opposites or seemingly contrary forces are interconnected and interdependent in the natural world, and how they give rise to each other in turn in relation to each other. [Wikipedia]

Interface versus Implementation

Make all assumptions explicit

IEnumerable<T>

T[]
List<T>
HashTable<K,T>

•••

concrete class

**Essence** 

Implementation details

## In most 00 languages the distinction is blurred

```
interface IA {}
abstract class A {}
static class B {}
sealed class C {}
class D
{ protected private virtual partial
    Foo Bar()
    { ... this ... }
}
```

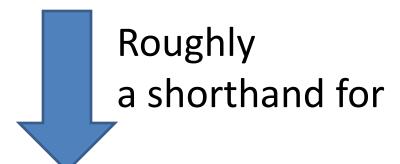
foldr :: 
$$(a \rightarrow b \rightarrow b)$$
 $\Rightarrow b$ 
 $\Rightarrow b$ 
 $\Rightarrow ([a] \rightarrow b)$ 

foldr :: Foldable t
 $\Rightarrow (a \rightarrow b \rightarrow b)$ 
 $\Rightarrow b$ 
 $\Rightarrow$ 

```
class Foldable t where
     fold :: Monoid m \rightarrow t m \rightarrow m
     foldMap :: Monoid m \rightarrow (a \rightarrow m) \rightarrow t a \rightarrow m
     foldr :: (a \rightarrow b \rightarrow b) \rightarrow b \rightarrow t a \rightarrow b
     foldl :: (a \rightarrow b \rightarrow a) \rightarrow a \rightarrow t b \rightarrow a
class Monoid m where
     mempty :: m
     mappend :: m \rightarrow m \rightarrow m
    mconcat :: [m] \rightarrow m
```

fold :: Monoid  $m \rightarrow t m \rightarrow m$ 

Implicit parameter
Controlled "injection"
Competent



fold :: 
$$(m, m \rightarrow m, [m] \rightarrow m)$$
  
 $\rightarrow t m$   
 $\rightarrow m$ 

All dependencies are explicit No "injection" **Dreyfus Novice** 

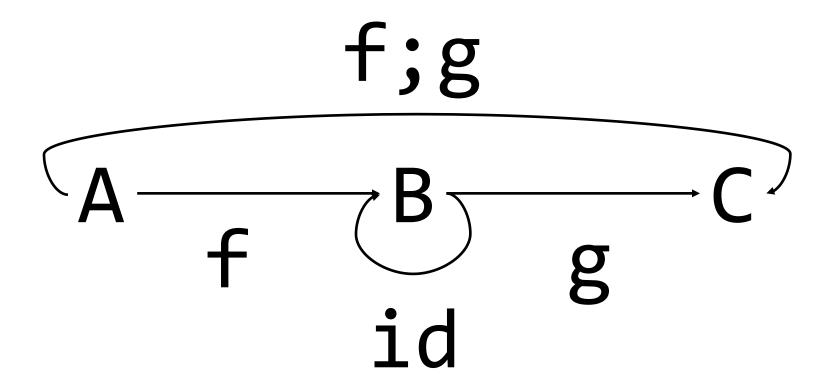
fold :: 
$$(m, m \rightarrow m \rightarrow m, [m] \rightarrow m)$$
  
 $\rightarrow t m$   
 $\rightarrow m$ 

Concrete type

==

BAD ©

## Interface-based programming to the extreme: Category Theory



Objects, Morphisms and Composition Dreyfus proficient



#### Dual (category theory)

From Wikipedia, the free encyclopedia

In category theory, a branch of mathematics, **duality** is a correspondence between properties of a category C and so-called **dual properties** of the opposite category  $C^{op}$ . Given a statement regarding the category C, by interchanging the source and target of each morphism as well as interchanging the order of composing two morphisms, a corresponding dual statement is obtained regarding the opposite category  $C^{op}$ . **Duality**, as such, is the assertion that truth is invariant under this operation on statements. In other words, if a statement is true about C, then its dual statement is true about  $C^{op}$ . Also, if a statement is false about C, then its dual has to be false about  $C^{op}$ .

Given a concrete category C, it is often the case that the opposite category  $C^{op}$  per se is abstract.  $C^{op}$  need not be a category that arises from mathematical practice. In this case, another category D is also termed to be in **duality** with C if D and  $C^{op}$  are equivalent as categories.

In the case when C and its opposite  $C^{op}$  are equivalent, such a category is **self-dual**.

### Obsession with monads is a medical condition (thanks Pat Helland)

If F and G are a pair of adjoint functors, with F left adjoint to G, then the composition  $G \circ F$  is a monad. Therefore, a monad is an endofunctor. If F and G are inverse functors the corresponding monad is the identity functor. In general adjunctions are not equivalences — they relate categories of different natures. The monad theory matters as part of the effort to capture what it is that a flunctions 'preserve'. The other half of the theory, of what can be learned likewise from consideration of  $F \circ G$ , is discussed under the dual theory of camonads.

The monad axioms can be seen at work in a simple example: Let G be projectful functor from the category Grp of groups to the category Set of sets. Then as F we can take the free group functor.

This means that the monad

$$T = G \circ F$$

takes a set X and returns the underlying 1e of the free group Y(x). In this situation, we are given two natural morphisms:

$$X \to T(X)$$

by including any set X in  $\mathrm{Free}(X)$  in the radius walk, as strings of entire 1. Further,

$$T(T(X)) \to T(X)$$

can be made out of a natural concatenation or 'flattering of strings'. This amounts to two natural transformations

$$I \rightarrow T$$

and

$$T \circ T \to T$$

They will satisfy some axioms about identity and associativity that result from the adjunction properties.

Those axioms are formally similar to the monoid axioms. They are taken as the definition of a general monad (not assumed a priori to be connected to an adjunction) on a category.

#### IEnumerable<T>

$$() \rightarrow (() \rightarrow T)$$
IEnumerator

Monad CoMonad Dual?

#### IObservable<T>

Does it really matter ...

$$(T \rightarrow ()) \rightarrow ()$$

**Dreyfus expert** 

Iobserver<T>

# Functional "Programming" is a tool for thought

"Imperative" Programming is a tool for hacking

#### You are the Chef ....

```
T StarAnise(){ ...}
Lazy<T> Cloves(){...}
Task<T> Cinnamon() {....}
IEnumerable<T> Pepper(){ ...}
IObservable<T> Fennel() {...}
```